Subsidy Targeting with Market Power*

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Abstract

In-kind public transfers are commonly targeted based on observable characteristics of potential recipients. Increasingly, goods subsidized by such transfers are provided by private firms. We show that when the subsidized good is provided by intermediaries with market power a subsidy-induced “demographic externality” arises and can distort the incidence and efficiency of targeted transfers unless perfect price discrimination is possible. We examine the effects of market power on targeted transfers empirically in the context of means-tested subsidies for privately-provided health insurance under the Affordable Care Act (ACA). In ACA Marketplaces we estimate the pass-through rate of subsidies to consumers of less than 50% percent, with a $6 billion deadweight loss. Critically, we find that market power disproportionately redistributes away from poorer consumers, leading to lower consumer surplus and rates of insurance in the population targeted by transfers. Our results highlight potential concerns with re-distributional policies in environments with imperfectly competitive intermediaries.

JEL classification: I11, I18, L22, D44, H57

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1 Introduction

Many public programs, such as housing assistance, food stamps, health insurance, free school lunch, and energy assistance, are in-kind government transfers targeted to recipients based on observable characteristics such as income, age, employment, family, or disability status (Akerlof, 1978; Nichols and Zeckhauser, 1982; Smeeding, 1984; Currie and Gahvari, 2008; Hoynes and Schanzenbach, 2015). The literature studying the economic costs and benefits of such transfers has almost exclusively focused on potential distortions in recipients’ behavior, while assuming that the subsidized goods or services are provided by a benevolent government or perfectly competitive firms.¹ In practice, however, governments are increasingly relying on imperfectly competitive intermediaries to deliver subsidized benefits.² The fiscal magnitude of this shift is staggering. In health insurance alone, for example, the US government spends $0.6 trillion annually in subsidies for products provided by private firms (CBO, 2019a,b,c), with an expansion projected under the Biden administration for 2021 onward.³ Yet, despite the importance of understanding the economics of such environments for policy-making, existing literature provides little guidance on how the presence of profit-maximizing intermediaries may affect the productive efficiency and the allocative properties of targeted in-kind transfers.

In this paper, we seek to close this gap by extending the literature along two dimensions. First, we combine insights from both public economics and industrial organization to outline a set of simple economic forces that characterize the equilibrium outcomes of subsidy targeting under market power. Second, we apply these insights to the subsidized health insurance market that was launched under the Affordable Care Act in 2014 (hereafter: “ACA Marketplaces”), an important empirical setting that provides insurance to nearly ten million people in the United States and costs the federal government more than $40 billion in annual outlays. Conceptually, we show that in addition to the standard imperfect pass-through of subsidies to consumers, a subsidy-induced “demographic externality” arises if intermediaries cannot perfectly price discriminate across differentially-subsidized consumers—equilibrium prices a given consumer faces become a function of their neighbors’ eligibility for targeted

¹Recent examples documenting the demand-side distortions include Jacob and Ludwig (2012); Alcott et al. (2015); Lieber and Lockwood (2019); Basurto et al. (2017).

²Private provision is frequently motivated by the desire to improve program efficiency through competition as well as to reduce fiscal uncertainty for federal and state program budgets.

³Contracting with private firms to provide public benefits is particularly common in health care. Poterba (1996) outlines the stark differences in the choice of public policy instruments between education and health care, highlighting the much more common payment to private agents—rather than direct provision—in the health domain.
transfers. This externality can distort which consumers benefit from subsidies and the transfers’ aggregate efficiency, as we illustrate empirically in the ACA context. We deliver novel estimates of efficiency and incidence of means-tested premium subsidies in the ACA market. We find that only 50% of surplus generated by subsidies is passed through to consumers, while the rest is captured by firms. Crucially, market power has regressive distributional effects, leading to disproportionately lower consumer surplus and insurance rates among lower income and older consumers, working counter to the policy-makers’ targeting goals.

We begin our analysis by considering a stylized setting where public transfers for a privately-provided good are indexed to observable consumer types. A profit-maximizing firm sells at a uniform price to consumers that vary in their willingness to pay, the marginal cost of serving them, and subsidy eligibility. Three key, potentially countervailing, forces guide the interaction of market power on the supply side and targeted transfers on the demand side in equilibrium. First, targeted subsidies introduce heterogeneity in consumer-facing prices. All else equal, firms have incentives to raise list prices in markets where more consumers receive more generous subsidies, harming unsubsidized consumers. Second, targeted subsidies change the relative importance of different consumers in the firm’s profit-maximization problem. If subsidized consumers are sufficiently more (less) price-sensitive, then bringing these consumers into the market through subsidies can lower (raise) prices on the margin, benefiting (harming) unsubsidized consumers. Finally, in markets where marginal costs vary across consumer types, subsidies that also vary by types may change realized costs for the firms, leading to either higher or lower prices.

This subsidy-driven interdependency of consumers belongs to a broader class of mechanisms that give rise to what we term a “demographic externality”—where equilibrium outcomes are a function of the distribution of heterogeneous consumers in the same market. An extensive literature has studied several distinct types of such mechanisms. The classic notion of adverse or advantageous selection, for example, is a cost-driven demographic externality in which consumers are linked through risk pooling (Rothschild and Stiglitz, 1976). Demand-driven demographic externalities can arise due to the pooling of consumers with heterogeneous preferences, for example due to “preference externalities” where the features of differentiated products available to a consumer depend on the preferences of the consumer’s neighbors (George and Waldfogel, 2003; Waldfogel, 2003). When price discrimination is prohibited, the price a given group pays is a function of the distribution of other demand types (Stole, 2007). These demand-side effects may also correlate with costs, combining preference-based and cost-based spillovers (Finkelstein and McGarry, 2006; Shepard, 2016).
The subsidy-induced demographic externality that we highlight in this paper arises because the targeted subsidy schedule differentially affects consumers, who are then linked to each other through the equilibrium price set by an imperfectly competitive firm. This effect is in addition to cost and demand-side factors; we propose a modeling strategy that encompasses these disparate effects in a unified framework. This allows us to assess the equilibrium interactions of the cost, demand, and subsidy channels with market power.

The aggregate direction of distortions attributable to this interaction of market power and targeted transfers is theoretically ambiguous and is thus an empirical question in any given setting. In this paper, we ask this empirical question in the context of health insurance. Specifically, we consider ACA Marketplaces facilitated through the federal online platform www.healthcare.gov that operates in 36 states. The ACA Marketplaces provide a fruitful empirical laboratory for studying the impact of market power on targeted transfers for several reasons. First, it is an important market with nearly 10 million enrolled consumers that is expected to grow in the future. Second, targeted transfers are a first-order feature of the market: the vast majority (85%) of consumers receive a means-tested (advance) tax credit to help defray premium costs. The generosity of the tax credit is a declining function of a consumer’s income, reaching zero for higher-income consumers. Third, the significant exercise of market power in this environment is likely, as many geographic markets are highly concentrated. Fourth, firm pricing is regulated and premiums cannot vary by income. Given these institutional features, we anticipate the interaction between means-tested public transfers and market power in this setting to be quantitatively important.

To quantify this interaction, we formulate and estimate a structural model of supply and demand for ACA Marketplace insurance plans. On the demand side, we utilize the institutional setting of the Marketplaces to implement a within-market identification strategy that leverages price variation generated across consumers by the regulatory design of subsidies. On the supply-side, we derive equilibrium first-order conditions that link prices and marginal costs, incorporating the demographic externality, risk-sorting, and regulatory constraints on prices.

With the estimates of demand and supply in hand, we perform several counterfactual simulations of the market equilibrium that allow us to measure the impact of market power on subsidies. We start by simulating a counterfactual environment without subsidies, holding all else equal. This allows us to measure the aggregate efficiency of existing subsidies and their incidence between consumers and producers. We report three major findings: subsidies

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4The approach is similar to Tebaldi et al. 2019.
make consumers and firms better off by an additional $14.8 billion; firms capture $7.9 billion of that surplus, or 53 percent; and the program generates a deadweight loss of $5.7 billion, as it requires $20.5 billion in additional (net) government expenditures.\(^5\)

The distribution of surplus from targeted subsidies is highly heterogeneous across consumer types. While all subsidized consumers are better off with subsidies than without, the lowest-income consumers experience up to a four-fold higher increase in consumer surplus than partially-subsidized consumers, while unsubsidized consumers are modestly worse-off with subsidies than without. A similar pattern characterizes the effect of subsidies on the rate of insurance coverage. Subsidies increase insurance take-up among the lowest income consumers by up to 80 percentage points, while reducing coverage rates slightly among unsubsidized consumers. Dovetailing with our theoretical framework, subsidies exert countervailing forces on the equilibrium prices in this market, simultaneously attracting inherently more elastic, lower-income consumers with higher marginal costs while also directly lowering demand elasticity.

Next, we turn to the question of how much market power exerted by firms on ACA Marketplaces affects the distributional outcomes of means-tested transfers. As this is a central question of the paper, we pursue two complementary measurement approaches. First, we compare the level of consumer surplus and insurance rates among different consumers types under the observed regime with subsidies and imperfect competition and a counterfactual regime that holds subsidies fixed but removes market power. We find that in the presence of subsidies market power reduces overall consumer surplus by 21 percent and aggregate rate of insurance by nearly 15 percentage points (from 59 to 45 percent insured). The largest relative decline in consumer surplus form market power occurs among the poorest consumers: we estimate a decline in consumer surplus of 18 percent on average among unsubsidized consumers with income over 400% FPL and a decline of 46 percent among consumers with incomes between 150% and 200% FPL. Similarly, while consumers with incomes over 400% FPL experience a ten percentage point drop in insurance rate, consumers with incomes in between 200% to 300% FPL see nearly a 25 percentage drop in the coverage rate.

Our second approach measures the difference in gains from subsidies with and without market power. We compare two scenarios. The first scenario assumes that means-tested subsidies are rolled out into a perfectly competitive market. We measure gains in consumer surplus and insurance coverage rates by consumer type. This variation in gains across con-

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\(^5\)We compute government expenditures on subsidies net of savings on publicly paid uncompensated care. Further, if raising extra $20.5 billion cost taxpayers 30 cents on a dollar, then the deadweight loss of the program accounting for the cost of public funds would be $11.9 billion.
sumer types reveals the distributional effects of transfers under perfect competition.\textsuperscript{6} We then contrast this to the gains in consumer surplus and insurance rates in the scenario where means-tested transfers are rolled out into an imperfectly competitive market. Comparing the gains from means-tested subsidies (relative to no subsidies) by different consumer types between the competitive and imperfectly competitive scenarios allows us to assess how much market market power distorts the distributional effects of subsidies. We find that market power lowers the average gain from subsidies across all consumers by $270 per capita (from $613 to $343), or 44 percent, while disproportionately harming the lowest-income and oldest consumers. The gains in consumer surplus from subsidies are on average ca. $1,000 (or 46 percent) lower among consumers age 60 or older with income under 300% FPL when markets are imperfectly competitive. Thus market power redistributes the marginal subsidy dollar away from the intended means-tested schedule.

The take-away from our results is that when imperfectly competitive intermediaries provide a subsidized good, the market power of these intermediaries can interfere with distributional objectives of the policy-maker. These results cast doubt on the effectiveness of the common approach of incorporating distributional policy instruments into environments where a publicly subsidized good is privately provided.

A natural question is whether there are alternative subsidy mechanisms that still provide incentives for consumers to buy insurance, but reduce efficiency distortions from market power. We consider this question in the last section of the paper by examining one commonly-proposed alternative mechanism: “flat” subsidies that remove means-testing completely but keep net government spending the same. We find that flat subsidies lead to substantially higher subsidy pass-through to consumers and reduce the deadweight loss. However, if the society has preferences for redistribution, then the choice between means-testing versus flat subsidies generates a stark equity-efficiency tradeoff. In the absence of preferences for redistribution, means-testing is a strictly dominated mechanism in this market. As we estimate higher marginal utility of income among lower-income households, our model implies that these households have low willingness to pay for health insurance, preferring cash transfers to in-kind subsidies for insurance.\textsuperscript{7} This results does not hold, however, if we allow for a welfare function that puts value on redistribution per se. We use the Atkinson (1970) welfare

\textsuperscript{6}If all consumer types have equal marginal costs, as is the case in most product markets, this incidence will be equal to the schedule of subsidies, subject to a zero-price lower bound. With risk-sorting, even under perfect competition subsidies may change insurer costs and affect unsubsidized consumers.

\textsuperscript{7}This finding is not unique to ACA Marketplaces, or even health insurance more generally, and has been documented in other health insurance settings (Finkelstein et al., 2019), as well as other markets such as subsidized housing (Rosen, 1985).
function with constant relative inequality aversion, which assigns higher welfare weights to consumers with lower income, to illustrate this point. We estimate that from the consumer surplus perspective, means-testing becomes preferred to flat vouchers once the preference for redistribution is relatively strong, with the inequality aversion parameter higher than 1.3, implying that the society values transferring $1 to a household with income of $17,820 (150% FPL in 2017 for a single person household) as much as transferring to $3.6 to a household with income of $47,520 (400% FPL in 2017 for a single person household). Notably, for any level of preferences for redistribution, however, means-testing is incrementally worse than flat vouchers in the presence of market power (relative to perfect competition).

Our work relates closely to the growing literature on the design of subsidies for health insurance in general (Curto et al., 2015; Jaffe and Shepard, 2018; Decarolis, 2015; Decarolis et al., 2020; Miller et al., 2019; Einav et al., 2019) and in the ACA Marketplaces more specifically (Aizawa, 2019; Aizawa and Fang, 2020; Aizawa and Fu, 2020; Tebaldi, 2017; Tebaldi et al., 2019).\(^8\) Tebaldi (2017) is the closest work to our paper, both methodologically and in terms of the empirical context. Tebaldi (2017) examines subsidy design in California ACA market and highlights an externality that arises because insurers pool risks across consumers of different ages that have different costs, but are constrained in how much they can price-discriminate based on age.

Our paper is conceptually similar to a set of recent papers that have examined the strategic motives of private firms delivering goods that are publicly subsidized for some consumers but not others, across a variety of domains. For example, Cellini and Goldin (2014) and Fillmore (2019) have examined the relationship between federal grants that only some students are eligible for and college tuition; Rothstein (2010) examined how firms set wages in the presence of the Earned-Income Tax Credit; Goldin et al. (2018); Meckel (2019); Meckel et al. (2020) consider the effects of food assistance programs on the pricing and entry of grocery stores; and Rosen (1985); Erikson and Ross (2015); Collinson and Ganong (2018); Waldinger (2018) examine the efficiency of housing vouchers and how they may change housing prices. We seek to generalize the insights from this literature into a framework that is likely to be applicable in a variety of settings, including health insurance that accounts

\(^8\)More broadly, our work also relates to the literature that has considered the incidence of tax exclusions that are effectively subsidies for employer-sponsored health insurance plans (e.g., Gruber and Washington, 2005; Gruber, 2005; Gruber and Poterba, 1996) as well as the design of employer rather than government subsidies for health insurance (Cutler and Reber, 1998; Ho and Lee, 2019). Further, Saltzman et al. (2015); Taylor et al. (2015) used the RAND Corporations model of employer-sponsored insurance to simulate an extensive set of alternative subsidy designs for ACA Marketplaces in a stylized framework with no strategic firms.
for by far the largest share of such transfers in the US.

The paper proceeds as follows. Section 2 discusses the theoretical framework. Section 3 gives a brief primer on the ACA Marketplaces and describes our data sources. Sections 4.1, 4.2, and 4.3 lay out the empirical models of demand and supply, and describe how we measure welfare. 4.4 reports estimation results. Section 5 then proceeds to simulate counterfactual equilibria to measure the efficiency and incidence of observed transfers and the role of market power. Section 6 briefly concludes.

2 Theory

The interaction between government transfers and market power that we examine in this paper is general and applies to many markets outside of our specific empirical setting. It is thus useful to start our analysis with a simple framework that captures the key economic forces at play. We want to understand how intermediaries with market power change equilibrium outcomes in a setting with targeted subsidies; there are both equity and efficiency considerations to this question. We begin with a baseline case of perfect competition to illustrate those concepts before introducing a monopolist intermediary.

Consider a market where a single good is sold at a uniform price. Suppose that there is a unit mass of consumers and each of them has the following utility for the good:

\[ U_i = u(p; d_i, \theta_i, \epsilon_i), \]  

where \( i \) indexes the consumer, \( p \) is the product’s price, \( d_i \) are consumer characteristics, \( \theta_i \) is a vector of utility parameters, and \( \epsilon_i \) is a vector of preference shocks. Consumers purchase a unit amount of the good if and only if \( U_i > 0 \). Denoting the distribution of consumer characteristics by \( D \) and the joint set of preferences and shocks by \( F \), market-level demand—share of consumers buying the good \( s(p) \)—is formed by aggregating individual demands:

\[ s(p) = \int 1(u(p; d, \theta, \epsilon) > 0) dF dD = \int s_d(p; d) dD, \]  

where \( s_d(p; d) \) is the share of consumers within group \( d \) who buy the good.

Now suppose the government introduces a schedule of targeted in-kind subsidies, \( Z(D) \), where consumers of type \( d \) receive a transfer equal to \( z_d \) if they buy the good and do not receive any transfer if they do not. An extensive literature going back at least to Hylland and Zeckhauser (1981) and Nichols and Zeckhauser (1982) discusses when in-kind targeted
transfers may improve target efficiency of distributional policies and be preferred by the government to unrestricted cash transfers. For the moment we sidestep the issue of the optimality of transfer design per se, and take the choice of the policy instrument \( Z(D) \) as given. We come back to the question of subsidy design and the tradeoff between efficiency and redistribution in the context of our empirical application in Section 5.

Given the subsidy schedule \( Z(D) \), demand shifts outward:

\[
s(p, Z(D)) = \int s_d(p - z_d; d) dD.
\]

Next, consider the supply side of the market. Under perfect competition, prices are set equal to average marginal cost. Denoting the marginal cost of each consumer type by \( c_d \), the competitive price solves the following equation:

\[
p = \frac{1}{s(p, Z(D))} \int c_d \cdot s_d(p - z_d; d) dD.
\]

If marginal costs are equal across all consumer types, as is the case in many product markets, Equation 4 reduces to the familiar \( p = c \) formulation.

Equation 4 highlights an important aspect of the government’s choice of targeted subsidies as its policy instrument. The competitive price is a sum of marginal costs weighted by each consumer type’s share of market demand. Targeting consumers based on \( d \) generically leads to a different relative composition of the marginal costs in the product market, which in turn changes the equilibrium price. This change in the marginal cost has an important distributional implication: even without any market power considerations, the equilibrium price paid by a consumer of type \( d \) will generically not decrease by exactly \( z_d \). By extension, even consumers not directly targeted by the government may experience gains or losses through the standard Rothschild and Stiglitz (1976) pooling mechanism. The effect on consumers not directly targeted by the government may be positive or negative, depending on whether or not the marginal consumers attracted into the market by transfers have relatively higher or lower marginal costs, i.e. depending on whether subsidies lead to adverse or advantageous selection.

When a private intermediary with market power is introduced to the model, there are additional changes in equilibrium. Rather than setting price at average marginal cost, the
firm sets prices to maximize profits:

$$\pi(p) = \int s_d(p - z_d)(p - c_d)dD. \quad (5)$$

The equilibrium price equalizes marginal revenue and marginal cost:

$$\int s_d(p - z_d) + p \cdot \frac{\partial s_d(p - z_d)}{\partial p}dD = \int c_d \cdot \frac{\partial s_d(p - z_d)}{\partial p}dD. \quad (6)$$

Market power changes equilibrium outcomes in several ways. The principle change is that price is higher under market power than perfect competition. This increase both leads to a lower quantity of the good consumed in equilibrium (an efficiency effect) and a change in the relative consumption of the good across demographic types (a distributional effect). In addition, for any increase in subsidies, the firm will increase prices to capture some of the subsidy, leading to imperfect pass-through.

Both Equation 4 and Equation 6 highlight that equilibrium prices depend on the distribution of consumer types $D$ in the market. Critically, the price an individual consumer faces will change as the set of their neighbors changes, since we are assuming that a uniform price is set across all types $d$ in the market. We label this economic relationship a “demographic externality.” Formally, it is the functional derivative of (consumer-facing) price with respect to the distribution of demographics:

$$\frac{\partial(p - z)}{\partial D}. \quad (7)$$

While the demographic externality encompasses many mechanisms that generate interdependencies across consumers in a market, in our setting we focus on the demographic externality driven by targeted subsidies that vary by consumer type. First, subsidies directly change the demand curve for those receiving them, leading to less elastic demand and increasing incentives for the firm to raise prices. Second, subsidies change the relative importance of different consumer types in the firms’ profit function, with ambiguous effects on the equilibrium price. For example, if highly-subsidized consumers also have very elastic demand, attracting these consumers into the market could dampen incentives to raise prices. Third, subsidies also change the composition of consumer costs, again leading to ambiguous effects on the equilibrium price. The spillover in prices due to these three factors stems from the policy design decision to limit price discrimination on consumer characteristics that are used for subsidy targeting.

We highlight the mechanism of the demographic externality in the context of targeted
public transfers because it may generate negative (and potentially ironic) equilibrium outcomes. For example, suppose that consumers are all identical except for income. If the government sets up a schedule of means-tested subsidies for the good that decline in income, consumers in the middle of that income distribution will end up paying more out-of-pocket for the good when they are surrounded by relatively more poor consumers. This is a type of price discrimination effect that is inverted from the standard model, where being surrounded by high-income, low-elasticity neighbors can lead to an increase in prices. The demographic externality that stems from targeted subsidies generates inequality in consumption across markets solely due to demographic composition, which is an undesirable consequence of the regulatory design.

3 Institutional Primer and Data

Institutions Our empirical application is the US market for non-group health insurance plans that was launched in 2014 under the Affordable Care Act (ACA). The ACA “Marketplaces” platform allows consumers to purchase health insurance plans for themselves and their families. Insurance plans sold on this market are high dimensional products, offering a variety of cost-sharing levels and provider networks. The financial characteristics of plans are frequently summarized by its actuarial value that measures the fraction of costs that a plan would cover for a standardized population. Plans are grouped into “metal levels” on the basis of how much risk is borne by the insurer versus the consumer: Bronze (60% actuarial value), Silver (70%), Gold (80%), and Platinum (90%); there is also a “catastrophic” level, characterized by low premiums and high deductibles, that is only available to consumers under 30. While several US states have created their own ACA Marketplace programs, most states (37) use an online federal platform, www.healthcare.gov, to facilitate the purchase of insurance; we focus on these so-called “federally-facilitated” states in our analysis. About 9 million enrollees bought insurance on the Marketplaces in these states in 2017, which is the year of our data. Figure 1 provides an example of the user interface on the healthcare.gov platform.

Insurers selling on the ACA Marketplaces set premiums for their plans subject to several regulatory restrictions. First, insurers are not allowed to reject enrollees based on pre-existing health conditions and are not allowed to price-discriminate based on individual health risk. Insurers can collect different premiums from consumers based on age, but the age gradient
Notes: Screenshot of healthcare.gov for one of 121 plans that were offered to 40-year old individuals in Cook County, IL in 2015. The premium that individuals see displayed incorporates the premium subsidy if individuals enter their income information during the selection process.
in premiums has to follow a pre-specified regulatory age curve.\(^9\) Second, insurers have to charge the same premiums in all counties that belong to the same “rating area.” Rating areas are collection of counties pre-specified by each state. In practice, while insurers have to charge the same price if they offer their product in all counties in a rating area, they do not have to serve all counties in a rating area. Thus, following Fang and Ko (2018) we consider a county to be the relevant market boundary in this market. Finally, insurer premiums have to satisfy the medical loss ratio (MLR), which requires them to spend at least 80% of revenue on medical reimbursement, constraining markups to be at most 25 percent. The MLR has been documented to be binding for the majority of insurance contracts in this market (Cicala et al., 2019).

The key institutional feature of ACA Marketplaces are means-tested subsidies that can be used by low income families to defray the cost of the insurance premium.\(^{10}\) Formally, premium subsidies are known as Advanced Premium Tax Credits (APTC).\(^{11}\) The APTC is calculated in several steps. First, the Modified Adjusted Gross Income (MAGI) for a tax family is converted to the percent of the Federal Poverty Level (FPL).\(^{12}\) The FPL varies with family composition and allows comparing incomes of families of different sizes using the same scale. The MAGI relative to the FPL measure then determines the maximum dollar amount that the (tax) household “should be” paying for insurance premiums. Let us call this amount a CAP. The CAP is based on a non-linear sliding schedule specified by the IRS.\(^{13}\) For example, in 2017, if a household’s income was 200 percent of the FPL, then this household’s CAP was 6.34 percent of household income, while if income was 270 percent FPL, the CAP was 8.7 percent. Subsidies phase out at 400 percent FPL, so that households at or above this income threshold are not subsidized.

Once the CAP has been computed, the next step is to calculate the total premium

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\(^9\) Insurers are also allowed to underwrite consumers’ smoking status; however, whether someone smokes is hardly verifiable and very few consumers in the data are flagged as smokers. Consequently, we do not consider prices for smokers in our analysis.

\(^{10}\) In addition, low income families qualify for cost-sharing reduction subsidies. These subsidies reduce the out of pocket liability from deductibles, co-pays, and co-insurance. We take these subsidies as given and do not alter them in our counterfactual analyses.

\(^{11}\) The APTC can be claimed concurrently with enrollment based on projected household income and then adjusted (if necessary) when consumers file taxes. Consumers can also choose to forgo receiving advanced credit and instead claim the subsidy as a regular tax credit in their tax return.

\(^{12}\) MAGI is reported on US tax form 1040. The AGI is the total income that includes wages, tips, self-employment income, etc., as well as taxable interest, dividends, taxable parts of the social security income, IRA, pension, and annuity distributions that is adjusted for a variety of deductions specific to the income source, such as, for example, student loan interest deduction. MAGI modifies the AGI by adding back certain deductions.

\(^{13}\) See IRS Form 8962 “Premium Tax Credit.”
that a household would owe for a benchmark plan in the absence of subsidies. The benchmark insurance plan is set to be the second-lowest cost plan with 70 percent actuarial value ("second-lowest cost silver plan," or SLCSP) in the household’s county of residence. “Premium owed” is the total list premium that the household would have to pay to enroll all family members who would like to be insured in the benchmark plan (known as “coverage family”). If the household’s CAP is lower than the list premium that the household would have had to pay for the benchmark plan, then the household gets an APTC that is equal to the difference between “premium owed” and the CAP. If the list price of the plan that the household actually buys is lower than the full APTC that the household is eligible for, APTC is reduced to the actual cost of the plan, so that the final consumer-facing premium can be zero, but cannot be negative. To summarize, the subsidy that household \( h \) receives as a function of its income \( Y_h \) is:

\[
z_h = \max \left\{ 0, \sum_{i \in h} b_{i,SLCSP} - CAP(Y_h) \right\},
\]

(8)

where \( \sum_{i \in h} b_{i,SLCSP} \) is the total list premium that the coverage household would have to pay for the benchmark plan. This mechanism both induces means-tested subsidies, as CAP varies with income, and also ties the level of generosity for that subsidy to equilibrium price through the price of the second-lowest cost silver plan. The out-of-pocket premium that that household pays for plan \( j \) is then:

\[
p_{hj} = \max \left\{ 0, \sum_{i \in h} b_{ij} - z_h \right\}.
\]

(9)

**Data and summary statistics**  Our analysis relies on a combination of several data sources. First, we use 2017 Marketplace Public Use Files (PUF) that record detailed information on which plans were offered in each geographic market of the federally-facilitated Marketplaces, plan features, and list premiums. Second, we use data provided by the Center for Consumer Information and Insurance Oversight (CCIIO) that reports Marketplace enrollment counts.\(^\text{14}\) Enrollment is reported in several ways. First, we have enrollment reported at the plan level, where plans may be offered in several markets. Second, we also observe enrollment at the county level aggregated by different levels of plan actuarial values (i.e. metal levels). For example, we observe how many individuals purchased a plan with 70 percent

\(^{14}\text{CCIIO data is public and can be accessed at www.cms.gov/CCIIO/Resources/Data-Resources.}\)
actuarial value ("Silver" plans) in Cook County, IL. Finally, we also observe the market-level counts of consumers that enrolled in any plan by seven age and seven income buckets.\textsuperscript{15} We enrich enrollment data with a dataset, provided by Kaiser Family Foundation, that computes the number of potential ACA Marketplaces consumers for each geographic region.\textsuperscript{16} Next, we use the 2017 American Community Survey (ACS) to create a representative sample of potential ACA Marketplace consumers in each county. For these potential consumers we observe household composition, household income relative to FPL, and age.\textsuperscript{17} Finally, we use Optum database of claims and demographic information for the commercially insured under-65 population to estimate the gradient in average healthcare costs across different age and income groups.

Table 1 summarizes the data. In 2017, consumers faced on average a choice of 21 plans. 2.2 large insurers operated in an average county. The annual list premium for a 40-year old consumer ranged from $3,978 (10th percentile) to $6,351 (90th percentile) with an un-weighted average of $5,160. The average number of potential enrollees per county was close to 8,000 individuals, although markets differed dramatically in their size, ranging from fewer than 479 potential enrollees at the 10th percentile of counties to more than 15,000 at the 90th percentile. On average across markets, 60 percent of potential enrollees chose not to purchase a Marketplace plan; among those that did purchase, plans with 70 percent actuarial value were by far the most popular, accounting for almost 75 percent of choices conditional on enrollment. In an average market, the average plan had 3,156 enrollees, but plan sizes varied substantially from plans covering fewer than 50 consumers to plans with more than 6,000 enrollees within a county. Potential enrollees based on our ACS sample were on average 39 years old and had an average household income of 295 percent FPL. About a third of potential consumers had income under 200% FPL, making them eligible for the most generous subsidy levels, 37 percent had income over 200% FPL but under 400%FPL making them eligible for partial subsidies, and another third of potential consumers had household in-

\textsuperscript{15}The age categories are: under 18, 18-25, 26-34, 34-44, 45-54, 55-64, and over 65. The income categories are: below 100 FPL, 100-150 FPL, 150-200 FPL, 200-250 FPL, 250-300 FPL, 300-400 FPL, and over 400 FPL.

\textsuperscript{16}This data was requested in 2017 and underlies computations of Marketplaces take-up that Kaiser Family Foundation (KFF) has been reporting continuously in its briefings “Marketplace Enrollment as a Share of the Potential Marketplace Population.” KFF analysis, in turn, is based on the counts of uninsured individuals from the American Community Survey.

\textsuperscript{17}To construct the sample of potential consumers we keep individuals in ACS who do not report having employer-sponsored or public health insurance coverage. We further exclude individuals from our set of potential consumers if they report having no health insurance coverage, but would likely be eligible for Medicaid based on their household income in states that expanded Medicaid under the ACA.
come over 400% FPL, making them ineligible for subsidies. On average, potential consumers qualified for $2,349 in annual premium subsidies.\footnote{We divide the household-level subsidy by the number of individuals that would need insurance in the household to compute average subsidy per “coverage family” member.}

### 4 Empirical Model

#### 4.1 Demand

**Utility function** We estimate demand for health insurance plans on ACA Marketplaces using a semi-parametric discrete choice random utility model. The unit of choice is a “coverage family,” $f$, consisting of $i = \{1, \ldots, N_f\}$ members of the same tax household who are in need of insurance coverage. Within each family, we assume that each consumer $i$ obtains the following utility of consuming insurance plan $j$:

$$ u_{ij} = -\alpha_i p_{ij} + \phi_{ij}, \quad (10) $$

where $\phi_{ij}$ is the utility of plan $j$, $p_{ij}$ is the plan’s out-of-pocket price, and $\alpha_i$ is the marginal disutility of price. We assume that the family $f$ chooses a single insurance plan that maximizes the average utility across members of the family:

$$ \epsilon_{fj} + \frac{1}{N_f} \sum_{i \in f} u_{ij} > \epsilon_{fk} + \frac{1}{N_f} \sum_{i \in f} u_{ik}, \forall k \in J \text{ s.t. } k \neq j, \quad (11) $$

where $\epsilon_{fj}$ is a family-level idiosyncratic taste shock for plan $j$, or chooses the outside option of no purchase, which has a normalized payoff of zero.

We make several assumptions about $\alpha_i$ and $\phi_{ij}$ to arrive at an empirically-tractable version of utility. First, we replace individual-specific $\alpha_i$ with a coarser schedule of marginal utilities of income. We allow $\alpha$ to vary across nine demographic groups, $d$. The demographic groups are defined as the cross product of three age categories—age under 25, age between 25 and 40, age above 40—and three income categories—income under 200 percent FPL, income between 200 percent and 400 percent FPL, and income above 400 percent FPL. Second, we decompose $\phi_{ijt}$, the utility that a consumer gets from plan $j$, into several additively-separable components:

$$ \phi_{ij} = \psi_{a(i)} + \gamma AV_{ij} + \delta_j. \quad (12) $$
The first component, $\psi_{a(i)}$, captures the average level of utility that consumers get from purchasing any insurance plan. We allow this intercept parameter to vary across the same three age groups as the price coefficient to capture the idea that the value of insurance may vary across ages, all else equal.\(^{19}\) The second component, $AV_{ij}$, captures the deviations in the generosity of plan $j$ that consumers may face if they have sufficiently low income. For these consumers, cost-sharing reduction subsidies change the actuarial value (AV) of plans.\(^{20}\) Finally, we include a plan-specific constant $\delta_j$ for each plan $j$ that captures the average utility that all consumers get from purchasing that plan.

**Identification** Our model contains two different sets of parameters: those that are common to all consumers within a given market and those that vary at the individual level. We assume that the mean level of utility of a plan, $\delta_j$, is shared by all consumers. Further, we also assume that $\gamma$, the marginal willingness-to-pay for improvements in the actuarial value of the plan due to additional government-sponsored cost-sharing, is also uniform across consumers. Parameters that vary across consumers are the disutility of price, $\alpha_{d(i)}$, and the baseline valuation of insurance plans, $\psi_{a(i)}$. Our data consists of plan-level enrollments, where a plan may be offered across several markets, how many consumers buy any insurance in a market by age and income, and market-level enrollments aggregated to the metal level.

To see how the parameters that are common to all consumers are identified in our model with the data that we have, it is useful to first recall that Berry et al. (1995) established that there exists a unique product-market specific $\delta$ for any vector of product shares within a market (after integrating out individual-specific utility). A complication arises in our setting because CMS reports enrollments at the plan level, where plans are often offered in several markets. Therefore, we cannot construct plan-market level shares. However, as we know where each product is offered we are able to aggregate across individual markets to predict plan-level enrollments whenever a product is offered in more than one local market. Under the assumption that all consumers seeing a given plan have the same willingness-to-pay for that plan, we can identify $\delta_j$ by matching aggregate plan-level enrollments reported in the data to our simulated enrollments across every market in which that plan is offered. The

\(^{19}\)We also allow for a separate intercept for the group of consumers with income under 100 percent FPL. While this group of consumers should not be participating in ACA Marketplaces, as they are commonly eligible for Medicaid and are in theory not eligible for ACA subsidies, we observe some enrollees from this group in the data; a separate intercept for this group allows the model to rationalize a very low, but non-zero, inside share for this group.

\(^{20}\)To be eligible for cost-sharing reduction subsidies, consumers need to enroll in “Silver” plans, i.e. plans with 70% actuarial value, and then the AV of the plan gets increased depending on consumers’ household income.
marginal willingness to pay for actuarial value, $\gamma$, is then identified by the variation in the share of enrollment in Silver plans (70% actuarial value plans—the only plans that qualify for cost-sharing reductions) by low-income consumers that is not explained by $\delta$.

The second set of parameters govern individual-level variation in willingness-to-pay for plans. In our data, we do not observe individual-level purchases; however, we do observe two moments of the data that are not usually present in Berry et al. (1995) style models: at the market level, we observe the inside share of consumers by age and income. While $\delta$ identifies the average level of enrollments, and therefore the aggregate share of the inside option, it cannot rationalize the within market variation in enrollments across ages or incomes. Within a given market, the rate at which enrollments decline as income increases across income bins gives a local estimate of $\alpha$. Similarly, variation in the enrollment in the inside option across age bins identifies $\psi$, the baseline willingness-to-pay for any insurance plan. Both $\alpha$ and $\psi$ are overidentified, as one could also use variation across markets to identify those parameters; as the demographic distribution of consumers in two markets varies by age and income, the shifting patterns in overall enrollments identify both sets of parameters.

A major concern in product markets is price endogeneity; the typical issue is that price is correlated with unobserved quality, creating an inference problem. To circumvent this problem, we exploit the regulatory design of the market. While the variation in premiums $p_{ijt}$ that we observe in the data does not stem from experimental assignment, the regulatory design of this market generates variation in prices that is independent of demand shocks. The key observation is that subsidies vary across income levels according to a pre-specified administrative formula, generating a non-decreasing relationship between income and effective premiums, as discussed in Section 3. The statutory age-adjustment curve does the same for consumers of different ages. These sources of variation stemming from the regulatory design serve as a natural experiment, inducing price variation within the market independently of $\delta_j$ or demand shocks. This allows us to leverage a within-market estimator to identify $\alpha$ and $\psi$ that contrasts to the more common identification approach of using instrumental variables constructed from product characteristics or prices in other geographic markets (Hausman, 1996; Berry and Haile, 2016). This identification approach is similar to Tebaldi et al. (2019), and is valid as long as consumers are not systematically sorting themselves across markets on the basis of these regulatory-induced changes in prices.
4.2 Supply

Profit function  Insurers on ACA Marketplaces decide which geographic markets to enter, how to design their plans, and how to price them. In this paper we are interested in how the targeting of subsidies to lower-income consumers may affect equilibrium prices, conditional on entry and contract design decisions; hence, we keep insurers’ entry and product design fixed. To fix ideas, we first start with a brief accounting of payment flows in the market.

For each consumer $i$, plan $j$ collects premium $p_{ij}$ from the consumer. For consumers who are not eligible for premium subsidies, this premium is equal to the full list price, $b_{ij}$. For consumers who are eligible for subsidies, the insurer collects $p_{ij} < b_{ij}$ from the consumer and a subsidy from the federal government. Together, the consumer premium and the subsidy add up to $b_{ij}$. On the expenditure side, the insurer pays for consumers’ healthcare bills and any administrative costs. Let the total expected healthcare spending of consumer $i$ in plan $j$ be $h_{ij}$. In general, this spending is a function of a consumer’s underlying health risk, $r_i$, and the plan’s contract features, $\phi_j$.

Plan $j$’s expected cost for consumer $i$ is usually not equal to $h_{ij}$. Instead, the plan expects to pay a portion of $h_{ij}$, net of consumer cost-sharing in the form of deductibles, co-pays, and co-insurance. Consumer cost-sharing, in turn, is either paid directly by the enrollee or can be paid by the government in the form of cost-sharing subsidies. Let $c_{ij}(r_i, \phi_j) \leq h_{ij}$ denote the plan’s expected cost for offering insurance coverage to individual $i$. Plan $j$’s expected profit from enrolling consumer $i$ is then:

$$\pi_{ij} = b_{ij} - c_{ij}(r_i, \phi_j).$$

There are several features of the environment that allow us to simplify this very general formulation. On the revenue side, recall that plans are not allowed to perfectly price-discriminate across consumers. Insurers can collect higher premiums from older consumers; however, this age-based underwriting is regulated—insurers set the base rate for a 20 year old consumer and then have to follow a pre-specified regulatory age curve. This regulatory restriction implies that revenue does not vary across consumers of age $a$ and can be written

\[21\] Recall that the list price of plan $j$ is the same in all markets $t$ where plan $j$ is offered and that fall into the same rating area. If a consumer is eligible for subsides, then the price that consumers pay for $j$ in two different counties may differ, since subsidies depend on the prices of other plans in the same market. Consumers not eligible for subsidies pay the same price for $j$ in all markets.

\[22\] If the subsidy is higher than the list price, the consumer pays zero and does not receive the cash value of the “unused” subsidy. In addition to premiums, insurers may receive revenue from three risk-equalization programs run by the federal government or the states that aim to reduce the ex post volatility in realized profits from unexpectedly high or low healthcare spending realizations.
as a product of the baseline list price for a 20 year old consumer \( b_j \) and a set of regulatory age-specific multipliers \( \tau^a \) that do not vary across plans, i.e. \( b_{ij} = \tau^a(i) b_j \).

On the cost side, we parametrize \( c_{ij} \) to make the problem empirically tractable. We preserve the idea that costs may vary across consumers, which is important for allowing risk sorting to exist in this insurance market, but we discretize this variation. Using a commercial claims database from Optum, we start by estimating how much average healthcare spending varies across individuals with age and income in the general population. We fit smooth functions of healthcare costs in age for three levels of income (see Section B in the Appendix for details). Three income levels correspond to the income brackets that were defined for demand estimation. These estimates recover a matrix of age-income cost multipliers \( \kappa^d \). Now suppose that each plan has a plan-specific baseline cost \( c_j \)—the cost that plan \( j \) expects to incur for a 20 year old consumer in the lowest income bracket. This cost may vary across plans due to differences in benefit design and negotiated prices with providers. We make a simplifying assumption that income-age cost multipliers do not vary across plans. In other words, we assume that in expectation enrolling a 20 year old versus a 40 year old in the lowest income bracket is \( \kappa^{40} \) times more expensive for any plan. Under this assumption, \( c_{ij} \) can be written as a product of the baseline cost \( c_j \) and the age-income cost multiplier \( \kappa^d \) that does not vary across plans, i.e. \( c_{ij} = \kappa^{d(i)} c_j \). Allowing demand and cost to both vary by age and income allows for adverse or advantageous selection in our model, as cost systematically varies with willingness to pay.

With this additional structure, we can re-write the profit equation for firm \( f \) offering plan portfolio \( F_f \) as:

\[
\Pi_f(b) = \sum_{j \in F_f} \sum_{d \in D} \left[ (b_j \tau^d - c_j \kappa^d) s^d_j(p(b)) M^d \right],
\]

where \( s^d_j(p(b)) \) is the share of consumers in age-income group \( d \) that buys plan \( j \) among all consumers in this age-income group \( M^d \), \( p(b) \) is the link function between the out-of-pocket price that a consumer pays and the firm’s list price (Equation 9 above), \( \tau^d = \tau^a \) for any income level, \( b_j \) is the baseline list premium for a 20 year old that does not vary with income, and \( c_j \) is the baseline cost for a 20 year old consumer in the lowest-income bracket.\(^{23}\)

\(^{23}\)The share equation is defined over all markets for which the plan is offered (i.e. its rating area). For expositional clarity, we do not write out this dependence explicitly, but we do account for this in our empirical estimation and counterfactual simulations.
First-order conditions  Each insurer $f$ chooses a vector of baseline list prices to maximize profits; subject to the MLR constraint, for each plan $j$, the optimal list price $b_j$ satisfies the following first-order condition:

\[
\frac{\partial \pi_f(b)}{\partial b_j} = \sum_{k \in F_f} \sum_{d \in D} \left[ (b_k \tau^d - c_k \kappa^d) \frac{\partial s^d_j(p(b))}{\partial b_j} M^d + 1(j = k) \cdot \tau^d s^d_j(p(b)) M^d \right] = 0. \quad (15)
\]

The first-order condition highlights how the theoretical demographic externality mechanism discussed in Section 2 enters our empirical model. Note that while the firm sets on baseline list price $b_j$, it is maximizing the sum of marginal profits with respect to $b_j$ across all age-income groups $d$. This implies that if one consumer group $d$ is affected by a targeted subsidy that changes its elasticity of demand, this will affect the list price not only for this group of consumers, but for all other demographic groups $d$. This interdependence of demands in the firms’ profit function gives rise to the subsidy-induced demographic externality in our empirical model.

As in Nevo (2001), the first-order conditions can be written in the vector form:

\[
S - \Omega (B - C) = 0, \quad (16)
\]

where row $j$ of vector $S$ is given by $S_j = \sum_d \tau^d s^d_j(p(b)) M^d$ and row $j$ of vector $(B - C)$ is given by $(B - C)_j = \sum_d (b_j \tau^d - c_j \kappa^d)$, while row $k$, column $j$ of matrix $\Omega$ is:

\[
\Omega_{kj} = - \sum_d \frac{\partial s^d_j(p(b))}{\partial b_k} M^d \quad (17)
\]

for plans $k$ and $j$ offered by firm $f$. This expression is useful as one can invert Equation 16 to obtain the baseline marginal cost $c_j$ for each plan as a function of observed equilibrium prices and the elasticity of demand that is given by the demand parameters from Section 4.1. We constrain our estimates of marginal cost to conform to the MLR restriction described above.\(^\text{24}\)

Subsidies enter the first-order condition in two ways. One, they directly change the share equation $s(p(b))$ by changing out-of-pocket prices faced by a subset of consumers. Second, they also change the derivative of the market share with respect to price: $\frac{\partial s^d_j(p(b))}{\partial \sigma^k}$. This share derivative reflects how much the demand for plan $j$ changes when plan $k$ increases its baseline list price by a small amount. Unlike in a standard product-market setting, this

\(^{24}\)As marginal cost is additively separable in the first-order conditions, one can invert all marginal costs and impose the MLR without having to adjust the other non-binding marginal costs.
term captures not only how consumers respond to price changes, but also the relationship between consumer-facing and list prices. Consumer premiums and list prices are linked via the subsidy mechanism captured by $\frac{\partial p}{\partial b}$, so that for any demographic group $d$,

$$\frac{ds_j(p(b))}{db_k} = \frac{\partial s_j(p(b))}{\partial p_k} \cdot \frac{\partial p_k}{\partial b_k}.$$  (18)

In unsubsidized product markets, $p = b$, so $\frac{\partial p_k}{\partial b_k} = 1$. Here, the out-of-pocket price is determined by Equation 9 and that is no longer necessarily the case: for lower-income consumers where $b_k < z_h$, the derivative is zero; for all other consumers with $b_k > z_h$, the derivative is one.

Finally, when plan $k$ is the second-lowest cost silver plan there are additional terms in Equation 18. This is due to $b_k$ entering Equation 8, which determines subsidies for all consumers in the market. In this case, changing $b_k$ not only shifts $p_k$ (for a subset of consumers) but also shifts $p_{-k}$ for all other products via a change in $z_h$. This effect generates a modified first-order condition which we require for both solving out marginal cost and computing counterfactual equilibria. However, two aspects of our setting allow us to avoid explicitly modeling these complex incentives. First, we note that firms setting the second-lowest cost silver plan have incentives to raise prices arbitrarily high, as the generosity of the subsidy the government gives consumers increases one-for-one in $b_k$. Therefore, we directly impose that the MLR constraint is binding for these plans. Second, our counterfactual simulations consider pricing environments that do not have the same subsidy mechanism where the second lowest-cost silver plan plays a role. As a result, we will not use the modified first-order condition in either estimation or counterfactual simulation.

### 4.3 Efficiency Metric

**Baseline welfare function** We define a welfare function ($W$) that consists of three pieces: consumer surplus ($CS$), insurer profits ($\Pi$), and government subsidy spending ($G$):

$$W = CS + \Pi - \lambda G,$$  (19)

where $\lambda$ is the social cost of raising public revenues, which we assume to be 30 cents on a dollar. In our baseline analysis we define consumer surplus as a compensating variation that puts equal social welfare weights on the utility of all consumers, following Williams (1977) and Small and Rosen (1981). Consumer surplus for consumer $i$ with a vector of marginal
utilities $\theta_i$ then takes the following form:

$$CS_i(\theta_i) = \frac{1}{\alpha_i} \left[ \gamma + \ln \left( 1 + \sum_{j=1}^{J} \exp(v_{ij}(\theta_i)) \right) \right],$$

where $\gamma$ is Euler’s constant and $v_{ij}$ is the deterministic component of utility for person $i$ (recall that this is the average utility within a family) for plan $j$.\(^{25}\) We integrate out over the empirical distribution (as observed in the ACS) of ages, income, and family composition to obtain average consumer surplus that is then scaled to the total market size:

$$CS = M \int CS(\theta)dF(\theta).$$

Producer surplus, $\Pi$, is computed as expected profits following equation 14. Government spending $G$ includes three parts. The first component of $G$ is the nominal spending on premium subsidies. These are computed either from the data or are adjusted following the simulation scenarios of Section 5. The second component is government outlays for cost-sharing reduction subsidies. We hold cost-sharing reduction (CSR) spending constant at the observed level across all counterfactual simulations. Specifically, using CCIIO data reports we compute the average per capita government spending on CSR subsidies by consumer type, based on income brackets.\(^{26}\) In all counterfactual simulations, we then assign this average spending level to each consumer who falls into the respective income bracket and who enrolls in a plan where a cost-sharing reduction is available. The third component of government spending accounts for the fact that when a consumer enrolls into an ACA Marketplace plan, the government likely saves some money on this consumer; for example, if a consumer enrolls in a formal insurance plan, this consumer is then unlikely to benefit from any public payments for uncompensated care. Following the Kaiser Family Foundation and Urban Institute 2013 report on public spending on uncompensated care for the uninsured prior to the rollout of the ACA Marketplaces (Coughlin et al., 2014), we assume that the government saves $1,827 per capita in public funds on each consumer who buys an ACA plan.

**Consumer surplus with preferences for redistribution** To analyze the alternative subsidy mechanism—income-invariant subsidies—in Section 5, we turn to an alternative

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\(^{25}\)Euler’s constant is the mean value of the Type I Extreme Value idiosyncratic shock under the standard normalizations in the logit model, and is approximately equal to 0.577.

\(^{26}\)The data was accessed in June 2019 at Health Insurance Marketplace Cost-Sharing Reduction Subsidies.
definition of consumer surplus that directly allows for preferences for redistribution. We use the family of welfare functions with a constant relative inequality aversion (Atkinson, 1970). Individual-level consumer surplus is recomputed as a function of individuals’ income $y_i$, as follows:

$$CS^\lambda_i = \begin{cases} \frac{1}{1-\lambda}[(y_i + CS_i)^{1-\lambda} - y^{1-\lambda}] & \text{if } \lambda \neq 1, \\ \log(y_i + CS_i) - \log(y_i) & \text{if } \lambda = 1. \end{cases}$$

(22)

Integrating out $CS^\lambda_i$ over the empirical distribution of demographics then gives us average consumer surplus that is weighted by a function of consumers’ incomes for each level of $\lambda$. The parameter $\lambda$ measures preferences for redistribution. At $\lambda = 0$, each consumer receives the same social welfare weight, recovering our baseline average consumer surplus. As $\lambda$ increases, transfers to lower-income households become more valued by the society than equivalent transfers to higher-income households. The parameter $\lambda$ captures how much welfare increases (in percentage points) when $1$ is transferred to a consumer with one percent lower income.

4.4 Estimation results

Demand We use non-linear least squares to estimate the utility function parameters. Panel A of Table 2 reports the results. We find intuitive patterns for the variation in the marginal utility of income across demographic groups. A one dollar increase in price has a larger impact on the utility of poorer and younger consumers. The relationship between the overall value of insurance and age, as captured by age-specific intercepts, is non-linear. While consumers above the age of 40 value any insurance more than consumers aged 25 to 40, the demand by consumers below age 25 exhibits an even higher valuation, all else equal. We further find that consumers get significant utility from purchasing plans with a higher level of coverage, as measured by the actuarial value, conditional on other characteristics of plans held fixed. For example, consumers over age of 40 with income between 200% and 400% FPL who are eligible only for partial subsidies are willing to pay $680 in premiums for each 10 percentage point increase in actuarial value of a plan. This estimate of the willingness to pay is within the empirical support of differences in list premiums faced by a 40 year old consumer, who would need to pay $730 on average in list prices across all markets to move

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27 See also discussion in Waldinger (2018) for a recent empirical implementation in the context of subsidized housing.

28 Computational details are provided in Appendix A.
from a 60 percent actuarial value (Bronze) to a 70 percent actuarial value (Silver) plan.

While the patterns of parameter values are intuitive, we are cautious about the interpretation of individual magnitudes, as the consumers in our model are assumed to be maximizing average family utility. Hence the marginal utility of income parameters capture family level preferences. Family-level demand could, for example, exhibit a higher valuation of insurance by younger consumers, stemming from the valuation of their parents rather than individuals themselves. This would lead to a high estimated value of insurance at young age, as the younger group includes children, whose parents may place a high value on having insurance for their child.

To assess the fit of the model, we compare how enrollment moments predicted by the model compare to the moments observed in the data. Appendix Figure C.4 illustrates one set of moments that was used for estimation and a related measure of model fit. In Panel C.4A we report observed market share of Silver plans in each county. In Panel C.4B we report the average in-sample difference between the data and the model’s prediction of county-level Silver enrollment shares. The in-sample fit of the model is tight. The average prediction error is -0.0007 relative to average empirical enrollment share across counties of 0.29, broadly distributed across counties, suggesting that the model is able to capture a substantial amount of variation in the data.

Supply Panel B of Table 2 reports the results of the supply side estimation. Inverting the first-order conditions results in an average (across all plans, averaging within plans across rating areas) estimate of the marginal cost for a 20 year old consumer with income under 200% FPL of $1,561 ($c_j$), with a standard deviation of $454. The least costly plan had an estimate baseline marginal cost of $732, while the most costly plan having the baseline marginal cost of $4,102. From commercial claims data we estimate three vectors of cost multipliers ($\kappa^d$) that allow us to compute the expected cost for each individual in each plan following our parametric assumption in Section 4.2 that $c_{ij} = \kappa^{d(i)}c_j$. We estimate that on average across all ages individuals in households with lowest incomes experience 40 percent higher healthcare costs than individuals in households with income over 400% FPL. These patterns are consistent with the widely documented socio-economic gradient in health (Marmot, 2015).

We observe two pronounced patterns in our estimates of marginal costs. First, there is substantial heterogeneity in costs across plans with the same level of actuarial value. This is not surprising: plans on the ACA Marketplaces are extremely heterogeneous, with some
plans being offered by large national insurers and some by local co-operatives. Second, there are substantial differences in costs between more and less generous plans. This is also intuitive, as mechanically more generous plans cover a higher percent of consumers’ healthcare expenditures on average. In addition, more generous plans may attract an overall sicker pool of consumers, leading to disproportionately higher costs than the mechanical difference in actuarial value would suggest. The ratio of (average) marginal cost between 60% actuarial value, 70% actuarial value, and 80% actuarial value plans that we estimate are consistent with mechanically higher costs among 70% AV plans and some adverse selection in 80% plans.

In Appendix Figure C.5, we compare our estimates of marginal costs from the first-order condition inversion to plan-level accounting costs as reported by plans to CMS for 705 plans for which accounting data was available. The accounting costs are measured with error, as insurers are allowed to report their costs equally split across their plans rather than providing a true plan-level attribution of costs. Moreover, accounting costs do not include some ex post cost reconciliation, such as, for example, MLR payments. Nevertheless, the accounting cost data provide a valuable informational signal, as they likely generate an accurate ordinal ranking of plans from the least to the most expensive, on average. As we would expect given the existence of ex post cost reconciliation transfers, our estimates of marginal cost are on average 84% of the average reported accounting cost ($4,010 versus $4,768). We observe a strong ordinal correlation between accounting costs and marginal costs, which supports the idea that we are accurately able to differentiate more and less expensive plans.²⁹

Demographic Externality The combination of estimated demand and cost parameters allows us to empirically illustrate the subsidy-driven demographic externality mechanism that we described conceptually in Section 2.

We entertain two thought experiments to illustrate this idea. In the first experiment, we increase the number of subsidized consumers without changing the distribution of marginal utility of income or cost in the population. For each market, we set subsidies for consumers with income above 400 percent FPL as if these consumers had income of 151 percent FPL.

²⁹Related work in this area has pursued a different approach - directly using accounting costs as inputs into the counterfactual exercises and avoiding the inversion of the first-order conditions (see for example, Tebaldi, 2017). We do not pursue this strategy in our context for several reasons. First, accounting cost data were not available for all plans. Second, accounting costs are not observed at the product-market level and may capture several levels of ex-post accounting of cash flows through risk-equalization mechanisms, making it hard to know what exactly is being measured. In practice, the decision on which approach to pursue appears to be inconsequential for the subsequent analyses, given the strong correlation between the two measures.
This means that in each market the share of consumers with subsidies increases, while the share of unsubsidized consumers goes to zero. We then re-simulate the model and find the equilibrium. The results of this simulation are reported in Figure 2 and are marked as case “A.” This figure shows how the average premiums and consumer surplus change for consumers who are not directly affected by the change—those with incomes between 150 percent and 400 percent FPL—when their neighbors with income above 400 percent start getting subsidies, all else equal. Two forces are at play here. One, one hand, insurers have an incentive to raise prices to take advantage of the fact that in the 400+ percent FPL market segment—which is relatively inelastic—consumers now face lower prices for any given list price and are more likely to buy insurance. On the other hand, however, the pool of insured individuals now includes more higher-income consumers who have lower costs. The net effect is that plans become less expensive for “unaffected” consumers with incomes under 400 percent FPL. As the light dashed line marked with “A” in the figure illustrates, the average annual premium for consumers with income under 400 percent FPL decreases by $15 to $20. Consumer surplus, marked with grey circles, in turn increases by up to $35 for the poorest consumers. This counterfactual simulation cleanly illustrates the mechanism at the heart of our results: subsidizing one group of consumers in a market with market power, all else equal, changes prices and welfare for their neighbors. In this case, subsidized consumers exert a positive demographic externality on other consumers.

In the second exercise we simulate a scenario that is more likely to explain observed cross-sectional variation in prices in ACA markets. In this scenario, we additionally endow higher-income consumers with the marginal utility of income parameter and the cost of 151 percent FPL consumers. In other words, we make 400+ percent FPL consumers look identical to 151 percent FPL consumers. This is equivalent to moving from a county that had some fraction of unsubsidized consumers with 400+ percent FPL income to a county that had no 400+ percent FPL consumers. Relative to the previous scenario, the effects are more nuanced. While the firms now face more subsidized and more costly consumers, which pushes prices up, the firms also face much more elastic consumers, which pushes prices down. Case B in Figure 2 illustrates that the first effect dominates in our empirical setting. In our context, moving to an environment with more poorer consumers increases list prices. As the dashed line marked with “B” in 2 illustrates, the annual average consumer-facing prices for consumers that are not directly affected by our simulation go up by ca. $90. This increase in premiums leads to a decrease in consumer surplus among consumers with incomes between 150 percent and 400 percent FPL, whose subsidies or utility functions
are not directly manipulated in the simulation. The effect is highly heterogeneous across geographic markets. On average, however, in this simulation the lowest-income subsidized consumers exert a negative demographic externality on other consumers in the market.

The average changes in prices and consumer surplus depicted in Figure 2 mask a highly unequal distribution of changes across geographic areas. Some counties are nearly completely unaffected by the simulated change, while others experience a substantial gain or loss in average consumer surplus among consumers not directly affected by the counterfactual policy change. An important factor contributing to the geographic variation is the degree of competition and market power. As would be predicted by our theoretical model in Section 2, the magnitude of the demographic externality is amplified in markets with fewer insurers, and especially in monopoly markets. Figure 3 illustrates the relationship between the average change in consumer surplus (by county) among only indirectly affected consumers by the number of insurers in the county, controlling for demographic characteristics of the county such as age, sex, income, and racial composition, as well as state fixed effects. All else equal, the effect of the demographic externality on consumer surplus decreases by $11 for each additional insurer on the market in the first scenarios where the demographic externality is positive, and increases by $26 for each additional insurer in the case where the demographic externality is negative.

We next examine how these economic forces affect the efficiency and distributional properties of the more realistic targeted transfer structure on the ACA Marketplaces.

5 Counterfactual simulations

With the model of demand and supply of ACA plans we conduct several counterfactual simulations that allow us to examine how market power of intermediaries on this market is affecting the efficiency and incidence of targeted subsidies. We start by characterizing the aggregate efficiency and the economic incidence of the observed market allocation. In addition to providing the baseline for our subsequent analyses, these objects are of central policy interest in their own right. We are able to deliver novel estimates of economic efficiency and incidence of public spending in ACA Marketplaces—an extensively debated market that is setting an important policy precedent for how to privately provide publicly funded health insurance coverage in the United States. Having established this important baseline, we then examine the central question of the paper, which is whether and by how much market power distorts the efficiency and the distributional effects of targeted subsidies. Finally, we consider
an alternative budget-neutral subsidy mechanism that could reduce these distortions, but at the cost of an equity-efficiency tradeoff.

5.1 Efficiency and incidence of observed ACA subsidies

**Efficiency** We begin our analysis by examining the economic costs and benefits of observed means-tested subsidy payments. To facilitate our analysis, we first simulate the equilibrium under the observed level of subsidies within our model. This allows us to establish a baseline that differences out any demand model simulation error.\(^{30}\) In practice, our demand model has a tight in-sample fit, so that the resulting simulated allocation is very close to the data. Column (1) of Table 3 reports the characteristics of this baseline allocation. We estimate that consumer surplus in the ACA Marketplaces amounts to $50 billion. Producer surplus amounts to $15 billion. The government is spending $29 billion in premium and cost-sharing reduction subsidies.\(^{31}\)

Consumer surplus of $50 billion in total corresponds to $2,495 in annual surplus per capita, on average, among 20 million potential ACA consumers. Consumer surplus levels vary substantially across different socio-demographic groups and different areas of the country. While lower income consumers receive the highest level of transfers, they experience the lowest level of consumer surplus given the high disutility from a dollar in premiums that we estimate for these consumers. At the same time, we estimate that older workers experience higher consumer surplus than younger workers for all income levels. The variation in surplus and subsidy levels dovetails with differential enrollment patterns across income and age groups: 40 percent of ACA Marketplace enrollees have incomes under 200 percent FPL, while these consumers account for 32 percent of the potential market as we saw in Table 1. Similarly, consumers over age 40 account for 56 percentage points of inside option enrollment, while their share in the population eligible for ACA insurance is 48 percent. Overall, the program attracts 45 percent of potential enrollees.\(^{32}\) We further observe stark variation in average consumer surplus across US counties (Appendix Figure C.6). Average consumer surplus

\(^{30}\)The supply-side returns back observed list prices from the first order conditions and has no simulation component.

\(^{31}\)This level of government subsidies as we estimate in ACS data and our model is consistent with the subsidy spending reported by the Congressional Budget Office. CBO reports $39 billion in net premium and cost-sharing subsidy spending for 2016, which includes spending in non-federally facilitated states that are not part of our computation (https://www.cbo.gov/sites/default/files/114th-congress-2015-2016/reports/51385-healthinsurancebaselineonecol.pdf).

\(^{32}\)Surplus monotonically increasing with age is consistent with the observation in Tebaldi (2017), who argues that the structure of ACA subsidies discourages enrollment of the youngest consumers.
ranges from ca. $750 in many counties in Texas to over $2,500 on average in parts of Arizona, Illinois, Florida, and Maine. The spatial variation in surplus stems both from differences in income and age composition of potential consumers across local geographies (Appendix Figure C.2), but also from pronounced differences in local market structure (Appendix Figure C.3); jointly, the variation in age, income, and the count of insurers and plans can explain 58% of the geographic variation in average consumer surplus.

Comparing consumer and producer surplus vis-a-vis government spending, we conclude that public subsidy expenditures generate $2.25 of surplus for $1 of spending: the outlays on subsidies are $36 billion lower than the sum of consumer and producer surplus. This partial equilibrium computation of subsidy efficiency, however, is incomplete. As is the case in many healthcare settings, the government is likely to incur costs for the same consumers even if they do not enroll in the ACA. To account for this opportunity cost of public spending, we compute the amount that the government would have spent on ACA enrollees in uncompensated care payments (row 5 Table 3). We estimate that the savings of public funds on the same set of consumers amounts to $16.5 billion, which implies that the net additional government outlays for premium and cost-sharing subsidies on the Marketplaces are approximately $12 billion rather than $29 billion. Taking into account this foregone spending, we estimate a total return of $5.25 on a dollar of public funds spent on the ACA Marketplaces without accounting for the cost of raising public funds, and $4.04 with the cost of public funds included at 30 cents on a dollar.

**Incidence** Column 2 of Table 3 allows us to assess the incidence of observed subsidies between consumers and producers. In this column, we simulate an equilibrium without premium subsidies, holding other features of the market (such as market power and cost-sharing reduction subsidies) fixed. Without premium subsidies consumer surplus drops from $50 billion to $43 billion, while producer surplus drops from $14.7 billion to $6.8 billion. Overall, $28 billion in premium subsidies generates $15 billion in additional surplus. The extra subsidy spending is partially mitigated by $8 billion of additional public savings, leading to a net increase in government spending of $20.5 billion between a scenario with observed premium subsidies and a scenario with no premium subsidies. From this perspective, subsidizing premiums generates negative economic value, as this extensive extra spending generates only $14.8 billion in additional surplus, resulting in circa $6 billion of deadweight loss, even when we do not take into account the cost of raising public funds.

These subsidies, however, significantly benefit consumers. In fact, we find that subsidies
play the key role in stimulating enrollment in ACA Marketplaces. In the absence of any subsidies, we simulate (in Column 2) that 4.7 million, or 23 percent, of potential consumers would enroll in this market. With subsidies, enrollment increases to 9 million (45 percent), or nearly doubles. The increase in enrollment is particularly pronounced among consumers below 400 percent FPL, who effectively exit the market without subsidy support. At the same time, insurance firms also enjoy a substantial benefit from subsidies. Out of $14.8 billion in additional surplus, only 47 percent accrues to consumers and 53 percent is captured by firms. The less than 50 percent pass-through of subsidies to consumers suggest an important role of market power in this market (Pless and van Benthem, 2019). These estimates suggest that the competitiveness of the ACA market is similar to Medicare Advantage, for which Cabral et al. (2018) find 45 (in premiums only) to 54 (in premiums and benefits) percent pass-through rate to consumers.

The incidence of subsidies on consumer surplus is highly heterogeneous across demographic groups and locations. Four panels in Figure 4 illustrate the demographic and geographic distribution of the estimated gains in consumer surplus and insurance coverage under the observed means-tested subsidies relative to an equilibrium with no subsidies. As would be intended by the subsidy schedule, consumers with lowest incomes benefit the most, both in terms of gains in consumer surplus (Panel A) as well as in terms of gains in insurance coverage rates (Panel C), which increases by up to 80 percentage points for the lowest income consumers. Geographically, the highest changes in surplus (Panel B) and insurance rates (Panel D) occur in the Southeastern United States, including parts of Tennessee, North Carolina, Alabama, Georgia, and Florida. In many counties in these states, average consumer surplus increases by more than $500 per capita, while insurance rates in ACA eligible population increase by more than 30 percentage points on average due to means-tested subsidies.

5.2 Distortionary effects of market power

Before considering how market power may distort which consumers benefit from targeted transfers, we estimate the aggregate efficiency cost of market power in this market. Counterfactual simulations in Columns (1) and (4) of Table 3 compare equilibria with and without

33 The potentially puzzling phenomenon of low valuation (as measured from revealed preferences) of formal insurance by low-income consumers has been documented in prior literature. See an overview in, for example, Poterba (1996) and more recent empirical evidence in Lurie et al. (2019), and especially Finkelstein et al. (2019), who speculate about the role of uncompensated care and behavioral biases in accounting for the low revealed willingness to pay.
market power, keeping everything else about the environment, including means-tested transfers, fixed. In column (4), the allocation without market power is simulated by setting prices equal to average marginal cost. Removing market power increases consumer surplus by $13 billion from the baseline of $50 billion. Total surplus remains almost the same, implying that in the absence of market power $13 billion of surplus is re-allocated from insurers to consumers. Average consumer surplus increases by $652 or 26 percent. Baseline list premiums in the absence of market power are $658 lower on average, which attracts more mid-income consumers into the market. Insurance coverage rate in the absence of market power is nearly 15 percentage points higher (45 versus 59 percent), implying that overall market power plays a central role in determining insurance coverage rates in ACA Marketplaces.

Another way of looking at the aggregate efficiency cost of market power is to consider how the presence of market power changes how much consumers gain on average when means-tested transfers are introduced. We start by comparing perfectly competitive allocations with no transfers (Column 5) and with means-tested transfers fixed at the observed level for each individual in our data (Column 4). Introducing means-tested subsidies in the perfectly competitive environment increases average consumer surplus by $613 (24 percent) and increases insurance enrollment rate by 25 percentage points (from 34 to 59). We now consider the gains from subsidies in the environment that is characterized by market power. We compute the gain in average consumer surplus and insurance coverage rates between Columns (3) and (1) in Table 3. In the presence of market power, keeping individual level maximum subsidies the same, average consumer surplus increases by a much smaller $343 (16 percent). Aggregate insurance coverage rates under subsidies goes up by 21 percentage point (from 23 to 45). In sum, we find that market power substantially reduces the aggregate consumer gains from means-tested transfers.

We next consider whether market power deferentially distorts which consumers benefit from targeted transfers due to the presence of demographic externality that we examined in Section 4.4. We again entertain two comparisons. We first compare the levels of consumer surplus by consumer demographic groups between allocations with and without market power, keeping subsidies fixed. We then consider how market power changes how much consumers gain from subsidies in a world with and without market power.

We start by comparing the level of consumer surplus between: (i) the observed equilibrium with means-tested subsidies and market power, and (ii) a counterfactual equilibrium

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34 We keep the maximum possible transfer fixed in the data at the individual level. If consumers buy cheaper plans in the equilibrium with perfect competition, realized transfers could be lower, as we impose a zero lower bound on consumer-facing premiums following the ACA statues.
that holds the level of means-tested subsidies fixed, but shuts down the market power channel. The results are illustrated in Figure 5A. We find that market power leads to the largest relative decline in consumer surplus among poorest consumers: we estimate a decline in consumer surplus of 18 percent on average among consumers with income over 400% FPL and a decline of 46 percent among consumers with incomes between 150% and 200% FPL.

Our second approach measures the difference in the gains from subsidies in the presence and absence of market power. The first consider a scenario that assumes that means-tested subsidies are rolled out into a perfectly competitive market. Under this scenario, we measure the gains in consumer surplus and insurance rates across different consumer types relative to an environment without any subsidies. This variation reveals the distributional effects of transfers under perfect competition.\(^{35}\) We then contrast this to the scenario where means-tested transfers are rolled out into an imperfectly competitive market. Comparing the gains from means-tested subsidies (relative to no subsidies) by different demographic groups between the competitive and imperfectly competitive scenarios allows us to assess how much market market power distorts the targeting of subsidies. Figure 5B reports the results of this “difference in gains” computation. We find that market power disproportionately harms the lowest-income and oldest consumers, with the gains in consumer surplus declining by circa $1,000 per capita (or 46 percent) among consumers age 60 or older with income under 300% FPL. In other words, market power redistributes the marginal subsidy dollar away from the intended means-tested schedule.

Appendix Figure C.7 correlates the market-level average of this distortionary effect of market power with the number of insurers in the market, conditioning on the distribution of demographics in each market. Consistent with our theoretical argument in Section 2, we find that the distortionary effect of market power on the gains in consumer surplus from means-tested subsidies is more pronounced in markets with fewer insurers, and is especially large in monopoly markets.

5.3 Equity, Efficiency, and Redistributional Preferences

To further understand how subsidy targeting per se affects this market and whether alternative mechanisms could reduce its impact, we compute an equilibrium to a counterfactual environment with age-adjusted, but income-invariant (and hence universal) subsidies. We set the voucher level such that the total government spending remains the same as in the

\(^{35}\)If all consumer types had equal marginal costs, as is the case in most product markets, this incidence will be equal to the schedule of subsidies, subject to a zero-price lower bound.
observed data. We perform this exercise under both market power and perfect competition.

Columns (4) and (6) of Table 3 report the characteristics of the respective allocations in the case without market power. Comparing these two allocations allows us to ask how much more (or less) consumer surplus would be achieved if we kept the level of public spending the same, but made subsidies income-invariant (although still allowing them to vary by age). We find that a voucher of $1,055 for a 20 year old consumer that scales with age according to the statutory age curve leads to the same amount of total government spending as under targeted subsidies.

Income-invariant subsidies are substantially more efficient. The same amount of total public spending delivers $13 billion more in total consumer surplus. This substantial gain in efficiency, however, comes at a large re-distributational cost. While overall enrollment in the market increases, enrollment shifts from the poorest to less poor consumers under universal subsidies (35 percent of consumers in income bracket under 200% FPL versus 26 percent). That is, means-tested subsidies work as intended—they lower prices for the lowest-income consumers and thus attract them to the market. In the absence of explicit preferences for redistribution, however, this is not efficient, since lowest-income consumers exhibit the lowest valuation of the good. Thus, marginal consumers attracted by increasingly generous subsidies have an increasingly-declining willingness-to-pay for insurance, meaning that government spending grows faster than consumer surplus.

In Figure 6 we explicitly consider how high preferences for redistribution need to be for the means-tested subsidies to be considered more efficient than flat vouchers. We plot the ratio of average consumer surplus between the case with means-tested versus universal subsidies point by point for different values of $\lambda$ that measure the preference for redistribution. The horizontal dashed line at 1 marks the value of $\lambda$ at which the society is indifferent between the two subsidy regimes. The indifference $\lambda$ is equal to 1.3. This implies that if the society values transferring $1 to a household with income of $17,820 (150% FPL in 2017 for a single person household) as much as or more than transferring to $3.6 to a household with income of $47,520 (400% FPL in 2017 for a single person household), then the preference for redistribution is high enough to prefer means-tested subsidies.

We repeat the same analysis for the situation that retains market power. We observe that in this case, means-tested subsidies generate a higher loss in total surplus. As Figure 6, this conclusion is true for any levels of preference for redistribution. In other words, market power exacerbates the efficiency losses from means-testing. Thus, in the presence of market power, the society needs to have a higher preference for redistribution to prefer means-tested
transfers in the presence of imperfectly competitive intermediaries.

6 Conclusion

Traditionally, targeted benefits have been provided directly by the government. As a result, the vast majority of the literature has modelled the supply side in these settings as a benevolent social planner. Increasingly, however, governments relegate the provision of the benefits to private markets, subsidizing purchases of goods or services from private intermediaries that contract with the government. In this paper we have argued that adding market power to the supply side of public benefit provision in the presence of taxes or subsidies that are targeted on observable characteristics of consumers has the potential to change the productive efficiency and the distributional effects of these transfers. The intuition is simple. Targeted transfers differentially alter demand across different types of consumers. Yet, since firms typically cannot price discriminate based on the same consumer characteristics, the price faced by one consumer type will depend on the composition of other consumer types in the market and the targeting schedule. We call this economic force a subsidy-induced “demographic externality.”

We examined this theory in the empirical context of targeted subsidies on ACA Marketplaces. These relatively new markets provide health insurance coverage for millions of individuals in the United States and may expand significantly in 2021 onward.\footnote{For example, the incoming Biden administration has proposed significantly extending subsidy coverage to a broader group of consumers, which could lead to a doubling of federal expenditures (see, e.g., \url{https://www.kff.org/health-reform/issue-brief/affordability-in-the-aca-marketplace-under-a-proposal-like-joe-bidens-health-plan/}).} Our estimates suggest that market power leads to substantial efficiency distortions in this market. On aggregate, imperfectly competitive firms capture more than 50 percent of the surplus generated from public transfers. The impact of market power is differential across consumer types. Market power makes it harder for the policy-makers to achieve the distributional objectives, since in the presence of targeted transfers, market power redistributes marginal subsidy dollars away from the intended beneficiaries. We show that switching to subsidies that do not vary with income can reduce the efficiency losses from market power. However, the choice between means-tested and universal subsidies faces a stark equity-efficiency tradeoff.

Overall, our results suggest that re-distributional policy tools that have a long history in direct public provision and have been frequently adopted one for one into environments
with private provision should be used with caution in such environments. Market power of private intermediaries that contract with the government to provide publicly subsidized goods or services is likely to distort the ability to achieve the policy-makers’ distributional objectives.

References


_ and Hanming Fang, “Equilibrium labor market search and health insurance reform,” Journal of Political Economy, 2020, 128 (11), 000–000.


Figure 2: Demographic externality with targeted subsidies and market power

Notes: Figure reports estimated change in consumer surplus and consumer-facing prices (y-axis, in dollars) by income level (x-axis) in two counterfactual cases that capture the “demographic externality”. The first counterfactual simulation (case A) changes income of consumers with true income of above 400 percent FPL to be 151 percent FPL. This change results in these consumers now receiving subsidies at the same rate as 151 percent FPL consumers. The counterfactual simulation holds everything else constant, including subsidies of other consumers and all utility function parameters, and allows firms to reprice their plans. Consumers with (true) income between 150 percent and 400 percent FPL are affected by price changes. As can be seen in the lighter dashed line, effective prices paid by consumers (that stay in the market) go up, while consumer surplus (grey circles) goes down. In another simulation - Case B - we additionally change the marginal utility of income parameter for consumers with true income above 400 percent FPL, assigning them the utility parameter of consumers with 151 percent FPL. Reverse price and consumer surplus patterns that are observed in this case are recorded in the darker dashed line (prices) and black circles (consumer surplus).
Figure 3: Heterogeneity in demographic externality by market concentration

(A) Only change subsidies for consumers with 400% FPL

(B) Change the type of consumers with 400% FPL

Notes: Figures show the heterogeneity in the strength of the demographic externality by the number of insurers in a market (county). Panel A first computes the average change in consumer surplus among consumers with income 150% to 400% FPL under scenario (A) in Figure 2 for each county. We then estimate a county-level regression of average change in consumer surplus by county on the number of insurers in the county. The x and y axes are both residualized to control for state fixed effects, average income, average income, share of income and age in each of three income and age categories as specified in demand estimation, average share female, and average share of white individuals. Panel B repeats the same for scenario (B) in Figure 2.
Figure 4: Effect of ACA Marketplace subsidies on welfare and insurance rates

(A) Gain in consumer surplus, by income

(B) Gain in consumer surplus, by geography

(C) Gain in share insured, by income

(D) Gain in share insured, by geography

Notes: The figure reports the change in average consumer surplus by income (Panel A) or county (Panel B) and the change in the rate of insurance coverage by income (Panel C) or county (Panel D) between an equilibrium with observed means-tested subsidies and an equilibrium without subsidies, all else equal. Market power is kept constant. For each income cell the average is computed as a weighted average of compensating variation in ACS consumer sample in that income cell; each individual within the corresponding income cell receives a weight that is equal to the potential ACA market size in the individual’s county.
Figure 5: ACA Marketplace subsidies and market power

(A) Loss in consumer surplus levels, perfect vs. imperfect competition

(B) Loss in consumer surplus gains, perfect vs. imperfect competition

Notes: The figure reports the simulated effect of market power on average consumer surplus on ACA Marketplaces by age and income. Panel A shows the difference in the levels of average consumer surplus between the observed allocation and a counterfactual that removes market power, but keeps subsidies fixed. Panel B shows the difference in gains in consumer surplus between a counterfactual with no subsidies versus means-tested subsidies, computed first under perfect and then, separately, under imperfect competition. The average within a demographic cell is computed as a weighted average of compensating variation in ACS consumer sample in that demographic cell; each individual within the demographic cells receives a weight that is equal to the potential ACA market size in the individual’s county.
Figure 6: Equity-efficiency trade-off in subsidy design

Notes: Figure reports the point-wise (for each value of parameter $\lambda$) ratio of average consumer surplus between an equilibrium with means-tested subsidies and flat subsidies, keeping total net government spending fixed. The blue line measures this ratio for the case with perfect competition. The red line measures this ratio for the case with imperfect competition. Average consumer surplus for each level of $\lambda$ is computed as specified in Equation 22 in Section 4.3. At $\lambda=0$ (social welfare weights are the same for every household), the ratio of average consumer surplus equals to the ratio of entries in line (26) of Table 3. At higher levels of $\lambda$, social welfare weights increase for consumers with lower income.
Table 1: Summary statistics

<table>
<thead>
<tr>
<th></th>
<th>Mean‡ (1)</th>
<th>Std.Dev. (2)</th>
<th>10th pctile (3)</th>
<th>90th pctile (4)</th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>A. Choice set</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>(1) Number of plans</td>
<td>21</td>
<td>13</td>
<td>8</td>
<td>37</td>
</tr>
<tr>
<td>(2) Number of large insurers</td>
<td>2.2</td>
<td>1.1</td>
<td>1</td>
<td>4</td>
</tr>
<tr>
<td>(3) Average annual premium (age 40), $</td>
<td>5,106</td>
<td>902</td>
<td>3,978</td>
<td>6,351</td>
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<td><strong>B. Enrollment</strong></td>
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<td></td>
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<tr>
<td>(1) Market size‡‡</td>
<td>7,867</td>
<td>25,756</td>
<td>479</td>
<td>15,671</td>
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<tr>
<td>(2) Share outside option</td>
<td>0.6</td>
<td>0.2</td>
<td>0.4</td>
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<td>(3) Share in 60% actuarial value plans</td>
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<td>(4) Share in 70% actuarial value plans</td>
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<td>(5) Share in 80% actuarial value plans</td>
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<td>(6) Market-level enrollment</td>
<td>3,536</td>
<td>13,798</td>
<td>168</td>
<td>6,411</td>
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<tr>
<td>(7) Plan-level enrollment^</td>
<td>3,165</td>
<td>12,040</td>
<td>39</td>
<td>6,353</td>
</tr>
<tr>
<td><strong>C. ACS Sample of Potential Consumers</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>(1) Age</td>
<td>39</td>
<td>2.3</td>
<td>36</td>
<td>42</td>
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<tr>
<td>(2) Income in % FPL</td>
<td>295</td>
<td>52</td>
<td>231</td>
<td>365</td>
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<td>(3) Annual premium subsidy, $^^</td>
<td>2,349</td>
<td>1,244</td>
<td>919</td>
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<td>(4) Share income under 200% FPL</td>
<td>0.32</td>
<td>0.14</td>
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<td>(5) Share income 200-400% FPL</td>
<td>0.37</td>
<td>0.07</td>
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<td>(6) Share income 400% FPL and above</td>
<td>0.31</td>
<td>0.11</td>
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<td>(7) Share age under 25</td>
<td>0.22</td>
<td>0.05</td>
<td>0.16</td>
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<td>(8) Share age 25-40</td>
<td>0.30</td>
<td>0.05</td>
<td>0.24</td>
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<td>(9) Share age 40 and above</td>
<td>0.48</td>
<td>0.07</td>
<td>0.41</td>
<td>0.57</td>
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</table>

‡ Across counties. One market is defined as one county. There are 2,561 counties in the data. For Panel C all statistics are weighted by total market size
‡‡ Based on Kaiser Family Foundation estimates
^ Mean, Std. Dev., 10th and 90th percentiles for plan enrollment are reported across plans, not across counties
^^ Reports average individual-level subsidy, which is computed as the average subsidy within a coverage family

Notes: Panels A and B report the distribution of choices and enrollment in federally-facilitated ACA Marketplaces in year 2017. Choice set statistics (Panel A) are based on data from Health Insurance Marketplace Public Use Files, released by the Center for Medicare and Medicaid Services as well as the Center for Consumer Information and Insurance Oversight. Enrollment statistics (Panel B) are based on county and plan-level enrollment data released by the Center for Medicare and Medicaid Services. Demographic data (Panel C) are based on the public use sample of the American Community Survey for year 2017. Potential enrollees in the ACS sample were defined as individuals who did not report having employer-sponsored insurance, or any type of public health insurance coverage, and were not eligible for insurance under Medicaid expansion in those states that expanded Medicaid based on their income. Annual premium subsidies were computed using the ACS records of income relative to the Federal Poverty Line and tax family composition following instructions for 2017 IRS Form 8962 (Premium Tax Credit).
### Table 2: Model estimates

<table>
<thead>
<tr>
<th></th>
<th>Mean</th>
<th>Age&lt;25</th>
<th>Age 25-40</th>
<th>Age &gt;40</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>(1)</td>
<td>(2)</td>
<td>(3)</td>
<td>(4)</td>
</tr>
<tr>
<td><strong>A. Demand: parameters of utility function</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Coefficient on premium, $000 ($\alpha$)</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Income $&lt;$200% FPL</td>
<td>-</td>
<td>-5.17</td>
<td>-2.47</td>
<td>-2.21</td>
</tr>
<tr>
<td></td>
<td>-</td>
<td>(0.33)</td>
<td>(0.16)</td>
<td>(0.14)</td>
</tr>
<tr>
<td>Income $&gt;$200% FPL and $&lt;$ 400% FPL</td>
<td>-</td>
<td>-4.32</td>
<td>-0.64</td>
<td>-3.94</td>
</tr>
<tr>
<td></td>
<td>-</td>
<td>(0.27)</td>
<td>(0.04)</td>
<td>(0.26)</td>
</tr>
<tr>
<td>Income $&gt;$400% FPL</td>
<td>-</td>
<td>-1.13</td>
<td>-0.20</td>
<td>-0.46</td>
</tr>
<tr>
<td></td>
<td>-</td>
<td>(0.07)</td>
<td>(0.01)</td>
<td>(0.04)</td>
</tr>
<tr>
<td>Age-specific intercepts</td>
<td>-</td>
<td>1.52</td>
<td>-1.72</td>
<td>base</td>
</tr>
<tr>
<td></td>
<td>-</td>
<td>(0.10)</td>
<td>(0.11)</td>
<td></td>
</tr>
<tr>
<td>Actuarial Value</td>
<td>26.83</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td>(1.69)</td>
</tr>
<tr>
<td><strong>B. Supply: inversion of first-order conditions</strong></td>
<td>Mean</td>
<td>Std. dev.</td>
<td>Max</td>
<td>Min</td>
</tr>
<tr>
<td></td>
<td>(5)</td>
<td>(6)</td>
<td>(7)</td>
<td>(8)</td>
</tr>
<tr>
<td>Marginal cost for a 20 year old with income $&lt;$200% FPL, $</td>
<td>1,561^</td>
<td>457^</td>
<td>732^</td>
<td>4,102^</td>
</tr>
<tr>
<td>60% actuarial value plans</td>
<td>1,332</td>
<td>265</td>
<td>747</td>
<td>2,710</td>
</tr>
<tr>
<td>70% actuarial value plans</td>
<td>1,506</td>
<td>368</td>
<td>732</td>
<td>3,268</td>
</tr>
<tr>
<td>80% actuarial value plans</td>
<td>2,137</td>
<td>467</td>
<td>1173</td>
<td>4,102</td>
</tr>
<tr>
<td>Estimated cost multipliers‡</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Income $&lt;$200% FPL</td>
<td>2.77‡‡</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Income $&gt;$200% FPL and $&lt;$ 400% FPL</td>
<td>2.15‡‡</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Income $&gt;$400% FPL</td>
<td>1.96‡‡</td>
<td></td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

^ Average across all plans after averaging within plans across rating areas

‡‡ Income categories in Optum® demographic data do not full correspond to our FPL classifications, as we do not observe continuous income records and do not observe the family structure. We assign individuals with income reported to be $<$40,000 to "$<$200% FPL" category; individuals with income over $40,000 but under $75,000 to "$>$ 200% FPL and $<$ 400% FPL" category; and individuals with income over $75,000 to "$>$ 400% FPL" category. All multipliers are computed relative to 20 years olds in the lowest income category.

‡‡ Average across 65 age categories, age 0 to 64

Notes: Panel A reports non-linear least squares parameter estimates for demand model described in Section 4.1. The NLLS objective function minimizes the squared distance between estimated and observed age- and income-specific enrollment shares in each market (county). The model includes, but we do not report, intercepts for each insurance plan, as well as an intercept for consumers with income below 100% FPL. Bootstrapped standard errors are reported in parantheses. Panel B reports inversion of the first-order conditions as well as estimates of cost multipliers by income-age from commercial claims data.
Table 3: Equilibria under counterfactual scenarios

<table>
<thead>
<tr>
<th></th>
<th>Preserve market power</th>
<th>No market power</th>
<th>Demographic externality</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>Baseline a</td>
<td>No premium subsidies</td>
<td>Flat subsidies with net G = net G in (1) ($1,125 subsidy for a 20 year-old)</td>
</tr>
<tr>
<td></td>
<td>(1)</td>
<td>(2)</td>
<td>(3)</td>
</tr>
<tr>
<td>(1) Consumer surplus (CS), $M</td>
<td>50,268</td>
<td>43,355</td>
<td>63,233</td>
</tr>
<tr>
<td>(2) Insurer profit (Π), $M</td>
<td>14,683</td>
<td>-</td>
<td>-</td>
</tr>
<tr>
<td>(3) Consumer and producer surplus, $M</td>
<td>64,951</td>
<td>50,157</td>
<td>78,588</td>
</tr>
<tr>
<td>(4) Public spending on premium and cost-sharing subsidies (G), $M</td>
<td>28,882</td>
<td>454</td>
<td>32,424</td>
</tr>
<tr>
<td>(5) Public savings on uncompensated care for un(under-)insured, $M</td>
<td>16,510</td>
<td>8,625</td>
<td>20,134</td>
</tr>
<tr>
<td>(6) Net government spending, $M</td>
<td>12,372</td>
<td>(8,171)</td>
<td>12,289</td>
</tr>
<tr>
<td>(7) Total welfare, including the cost of public funds, $M**</td>
<td>48,867</td>
<td>60,779</td>
<td>62,611</td>
</tr>
<tr>
<td>(8) CS+Π per dollar of nominal public spending, $</td>
<td>2.25</td>
<td>-</td>
<td>2.42</td>
</tr>
<tr>
<td>(9) CS+Π on a dollar of net public spending $</td>
<td>5.25</td>
<td>-</td>
<td>6.39</td>
</tr>
<tr>
<td>(10) Characteristics of the allocation</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>(11) Inside option enrollment, in 1,000s</td>
<td>9,037</td>
<td>4,721</td>
<td>11,020</td>
</tr>
<tr>
<td>(12) Inside option enrollment, %</td>
<td>45%</td>
<td>23%</td>
<td>55%</td>
</tr>
<tr>
<td>(13) Composition of inside option enrollment by consumer type</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>(14) Income under 200% FPL</td>
<td>40%</td>
<td>6%</td>
<td>22%</td>
</tr>
<tr>
<td>(15) Income 200-400% FPL</td>
<td>25%</td>
<td>17%</td>
<td>33%</td>
</tr>
<tr>
<td>(16) Income 400% FPL and above</td>
<td>35%</td>
<td>77%</td>
<td>44%</td>
</tr>
<tr>
<td>(17) Age under 25</td>
<td>18%</td>
<td>21%</td>
<td>25%</td>
</tr>
<tr>
<td>(18) Age 25-40</td>
<td>26%</td>
<td>25%</td>
<td>26%</td>
</tr>
<tr>
<td>(19) Age 40 and above</td>
<td>56%</td>
<td>54%</td>
<td>49%</td>
</tr>
<tr>
<td>(20) Average income of consumers in inside option, % FPL</td>
<td>296</td>
<td>427</td>
<td>343</td>
</tr>
<tr>
<td>(21) Average age of consumers in inside option</td>
<td>41</td>
<td>39</td>
<td>38</td>
</tr>
<tr>
<td>(22) Average list premium among consumers in inside option, $</td>
<td>5,618</td>
<td>4,788</td>
<td>4,676</td>
</tr>
<tr>
<td>(23) Average list premium for a 20 year old consumer, $</td>
<td>2,401</td>
<td>2,239</td>
<td>2,301</td>
</tr>
<tr>
<td>(24) Average subsidy paid out to consumers in inside option, $</td>
<td>3,196</td>
<td>96</td>
<td>2,942</td>
</tr>
<tr>
<td>(25) Average cost of of coverage among consumers in inside option, $</td>
<td>3,993</td>
<td>3,348</td>
<td>3,283</td>
</tr>
<tr>
<td>(26) Average consumer surplus, $</td>
<td>2,495</td>
<td>2,152</td>
<td>3,139</td>
</tr>
</tbody>
</table>

a Observed equilibrium is recomputed in the model
b Subsidies are constant within an age group across income levels, but not across ages. Subsidy for other ages is scaled following the same regulatory age curve as the premiums
c The cost of public funds λ is assumed to be 30 cents for a dollar of public spending

Notes: Table reports the levels of consumer surplus, producer surplus, government spending, and total welfare under the observed allocation (column 1) and under counterfactual allocations (columns 2 to 8). We compute these objects using estimates of demand and marginal costs that allow simulating market equilibria that allocate consumers to Marketplace insurance plans or the outside option. All simulations are performed within the ACS sample of consumers and are then scaled to the total market size (first by county, and then nationally using county market size as weights). Consumer surplus is computed as a compensating variation (see Section 4). Firm profits reported in row (2) indirectly account for risk-equalization programs, as marginal cost estimates are net of firms’ expectations about positive or negative risk-equalization transfers. Cost-sharing reduction (CSR) subsidies in row (4) are computed by multiplying consumer-type specific average CSR values as reported by CMS for 2016 by enrollment share of each consumer type ($1,440 per year for consumers with income under 150% FPL, $1,068 for those with income between 150% and 200% FPL, and $144 for consumers with income between 200% and 250% FPL). Uncompensated care spending is computed at the rate of $1,827 per capita, following the Kaiser Family Foundation 2013 report on public spending on uncompensated care for the uninsured prior to ACA Marketplace rollout. Negative quantities throughout are reported in parentheses.